Fragility and its (proposed) correlation to other properties. What can we learn from high pressure experiments?

 $\frac{\text{Kristine Niss}^{1,2}, \text{Cécile Dalle-Ferrier}^2, \text{Christiane Alba-Simionesco}^2}{\text{Gilles Tarjus, Valentina M. Giordano, Giulio Monaco, Bernhard Frick}}$

¹ DNRF Centre "Glass and Time", IMFUFA, Roskilde

 2 LCP, Université de Paris-Sud, Paris









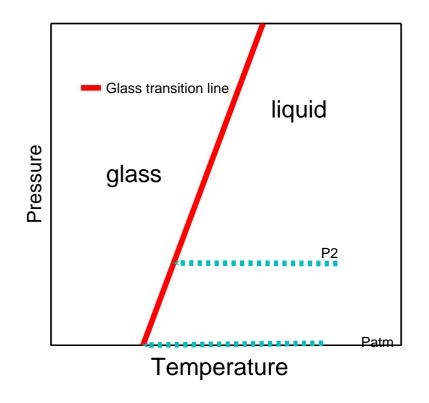
Outline

- Fragility and pressure
 - isochoric fragility
 - density scaling
- Correlations and pressure
 - $f_Q(T_g)$
 - β_{KWW}

Effect of pressure

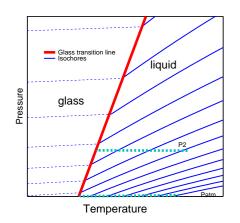
$$m_P = \frac{\partial \log_{10}(\tau_{\alpha})}{\partial T_g/T} \Big|_P (T = T_g)$$

$$\tau_{\alpha}(T_g) = \tau_g$$

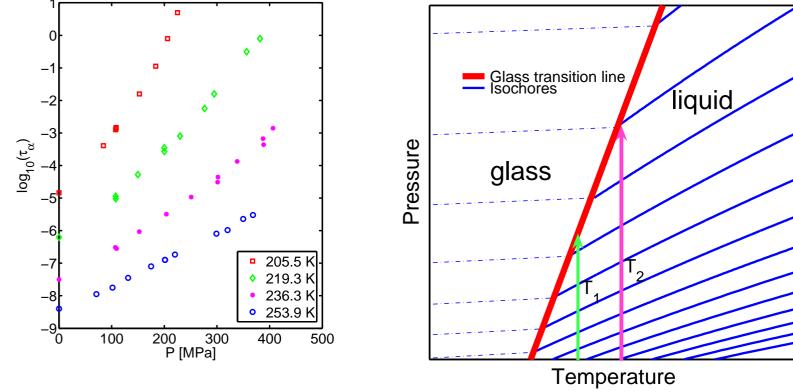


Isobaric glass transition P>Patm

- higher T_g
- different (smaller) fragility
- same relaxing entity



Isothermal glass transition



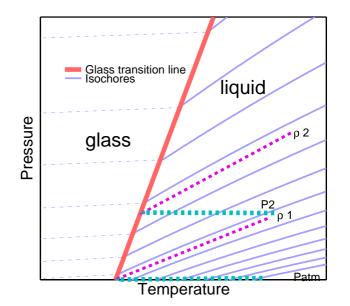
 au_{lpha} of DBP

4 different isotherms

dielectric spectroscopy Niss *et al.* Phys. Cond. Mat. (2007)

Forming a glass at constant temperature.

Isochoric glass transition

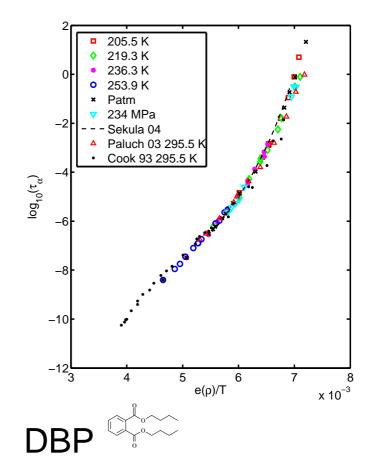


$$m_{\rho} = \left. \frac{\partial \log_{10}(\tau_{\alpha})}{\partial T_g/T} \right|_{\rho} (T = T_g)$$

$$m_{P} = \frac{\partial \log_{10}(\tau_{\alpha})}{\partial T_{g}/T} \Big|_{\rho} + \frac{\partial \log_{10}(\tau_{\alpha})}{\partial \rho} \Big|_{T} \frac{\partial \rho}{\partial T_{g}/T} \Big|_{P}$$
$$= m_{\rho} + \frac{\partial \log_{10}(\tau)}{\partial \rho} \Big|_{T} \frac{\partial \rho}{\partial T_{g}/T} \Big|_{P}$$
$$= m_{\rho} (1 + \alpha_{P}/|\alpha_{\tau}|)$$

Forming a glass at constant volume

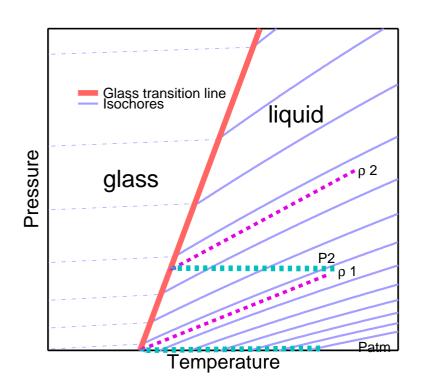
Scaling



$$\tau_{\alpha}(\rho, T) = \tau_{0} \exp\left(\frac{E(\rho, T)}{T}\right)$$
$$\frac{E(\rho, T)}{e(\rho)} = \Phi\left(\frac{T}{e(\rho)}\right)$$
$$\tau_{\alpha}(\rho, T) = F\left(\frac{e(\rho)}{T}\right), \ e(\rho) = \rho^{x}$$

Alba-Simionesco, J. Chem. Phys. (2002) Dreyfus, Eur. Phys. J. B (2004) Roland, Rep. Prog. Phys. (2005) Reiser, Phys. Rev. B (2005) Niss, J. Phys. Cond. Mat. (2007)

Isochoric glass transition



If scaling holds then m_{ρ} : constant

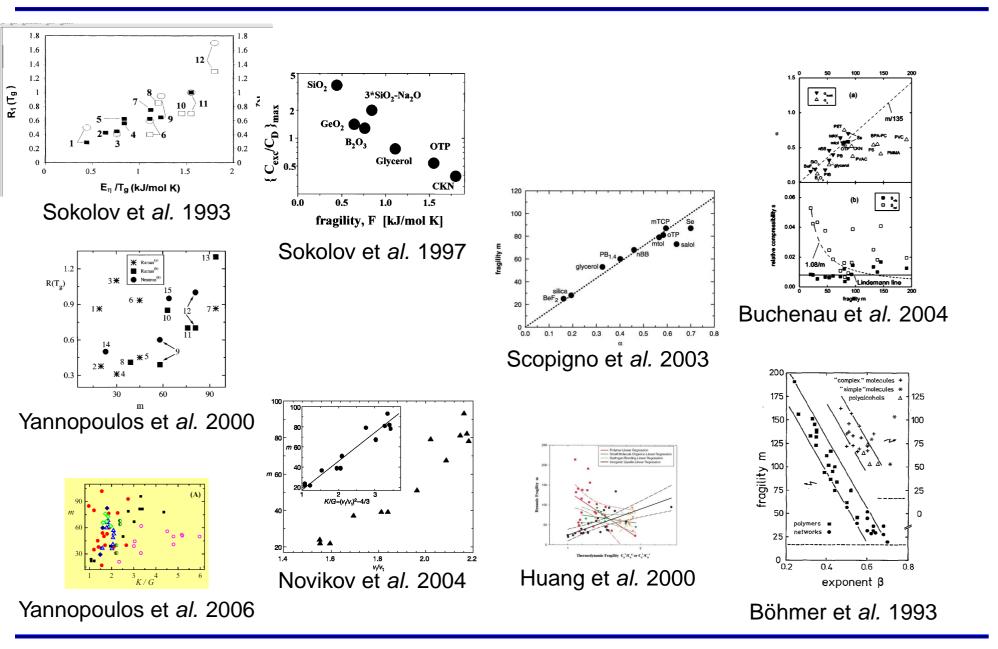
$$m_P = m_\rho (1 + \alpha_P / |\alpha_\tau|)$$

$$m_P = m_{\rho} \left(1 + \alpha_P T_g \frac{\mathrm{d} \log e(\rho)}{\mathrm{d} \log \rho} \right)$$

$$m_P = m_\rho (1 + \alpha_P T_g \boldsymbol{x})$$

Forming a glass at constant volume

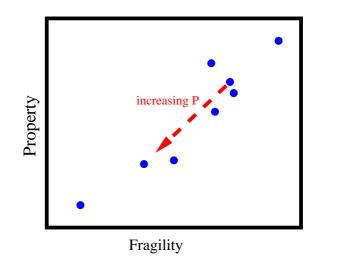
Correlations



Pressure and correlations

isobaric fragility changes

are correlations robust?



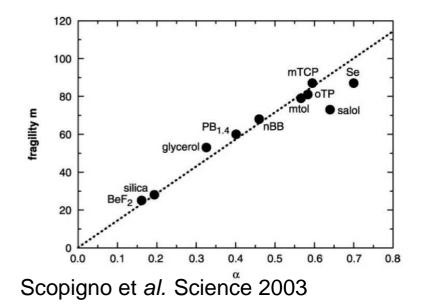
$$m_P(P) = m_{
ho} \left(1 + \alpha_p T_g \frac{d \log e(\rho)}{d \log \rho} \right)$$

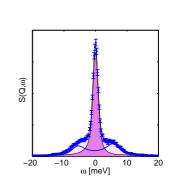
 $m_{
ho}$
constant
effect of temperature

 $\alpha_p T_g rac{\mathrm{d}\log e(\rho)}{\mathrm{d}\log \rho}$ pressure dependent
effect of density

Niss and Alba-Simionesco, Phys. Rev B, (2006)

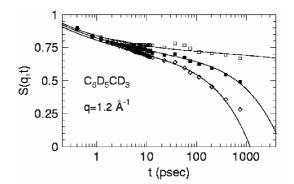
 $f_q(T_g)$



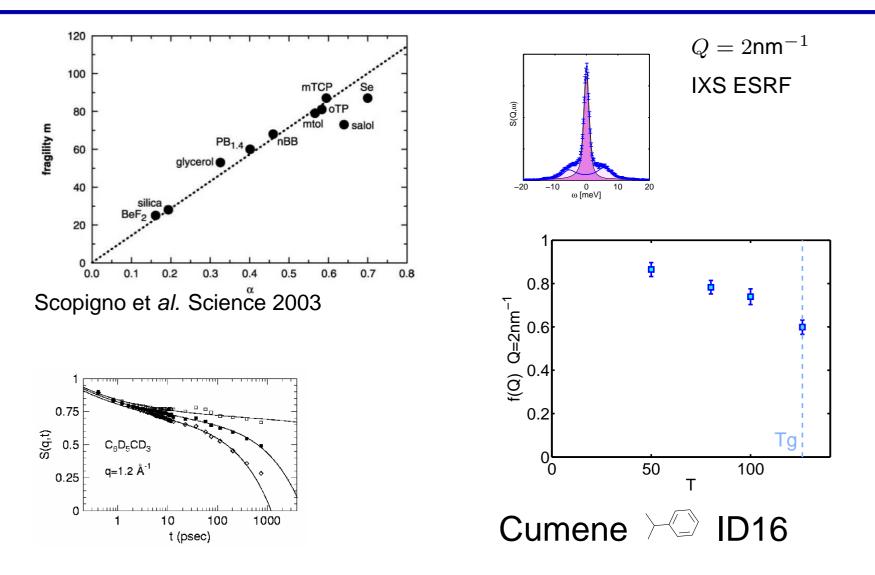


 $Q=2\mathsf{n}\mathsf{m}^{-1}$

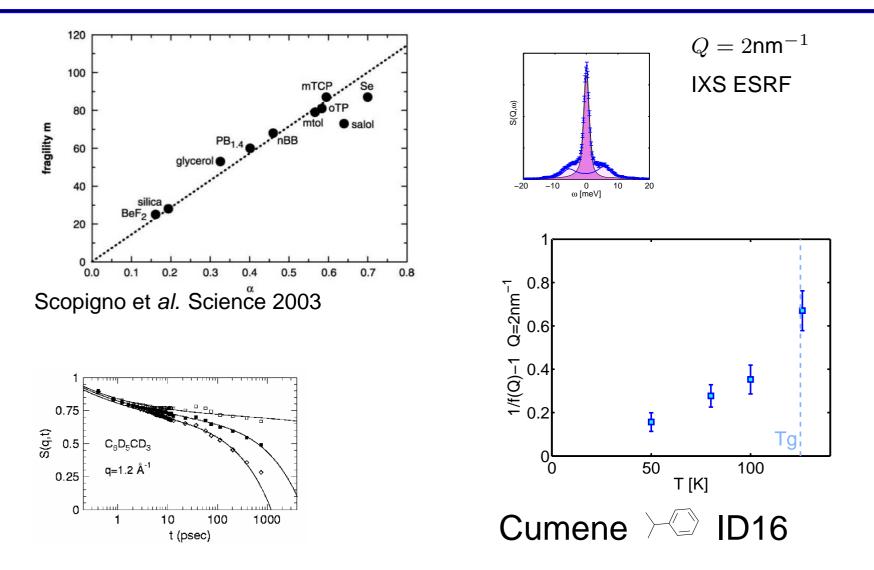
IXS ESRF



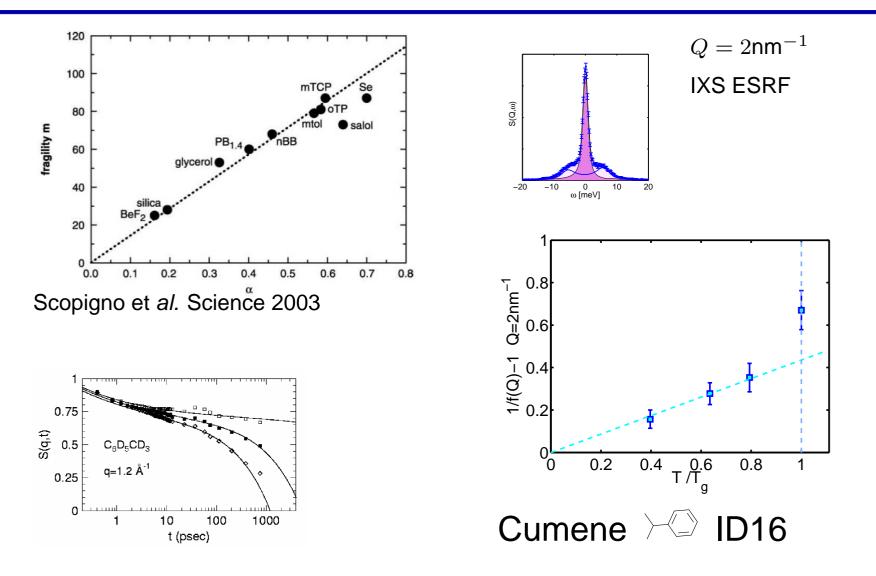
 $f_q(T_g)$



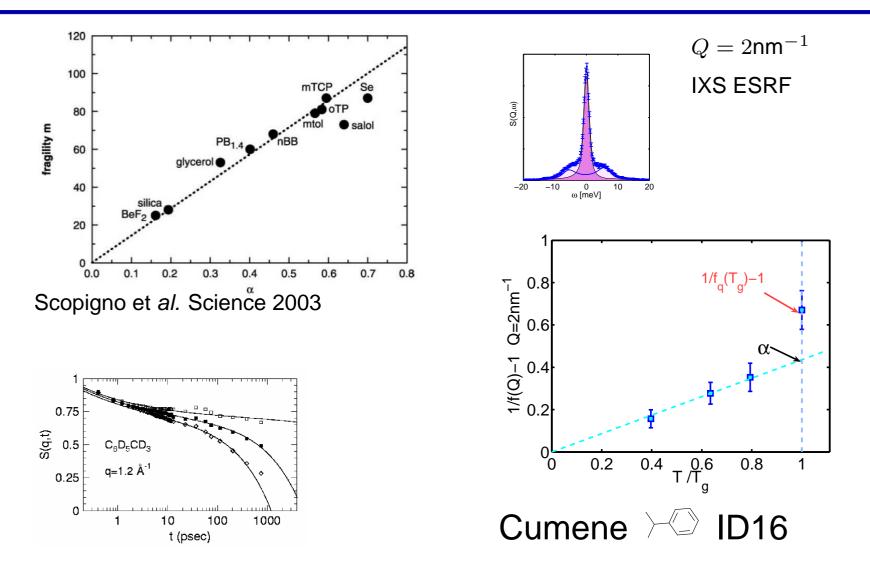
 $f_q(I_g)$



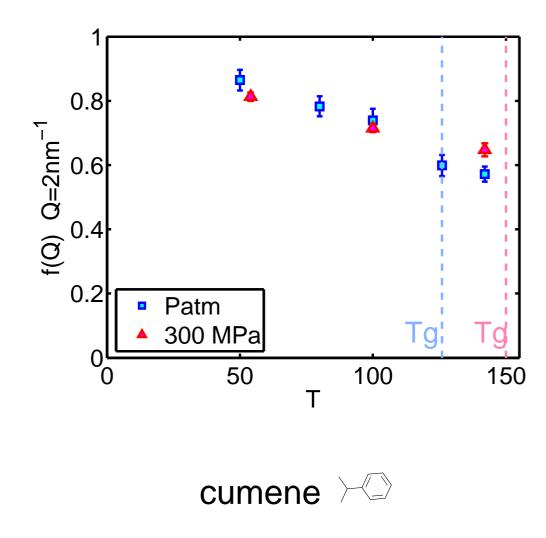
 $f_q(T_g)$



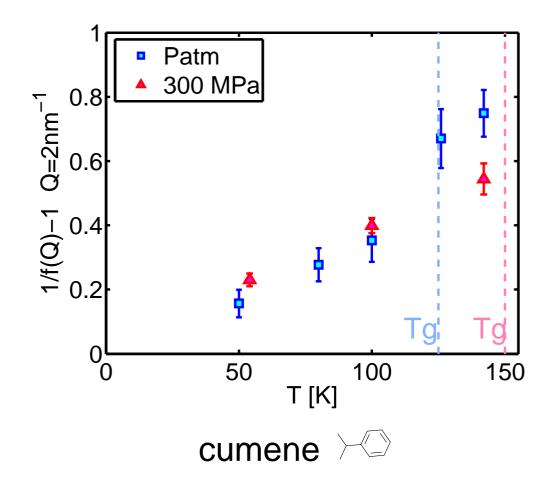
 $f_q(I_g)$



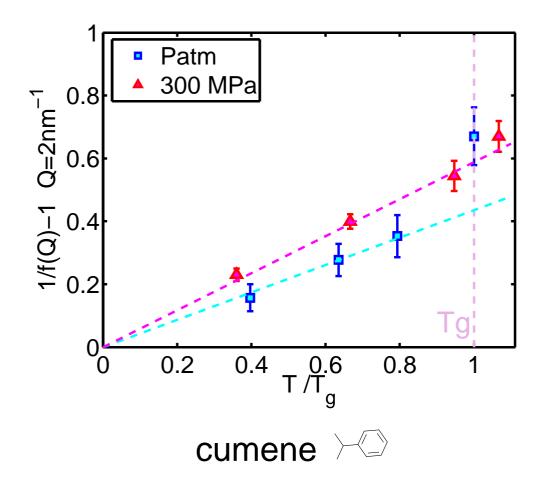
 f_q and pressure



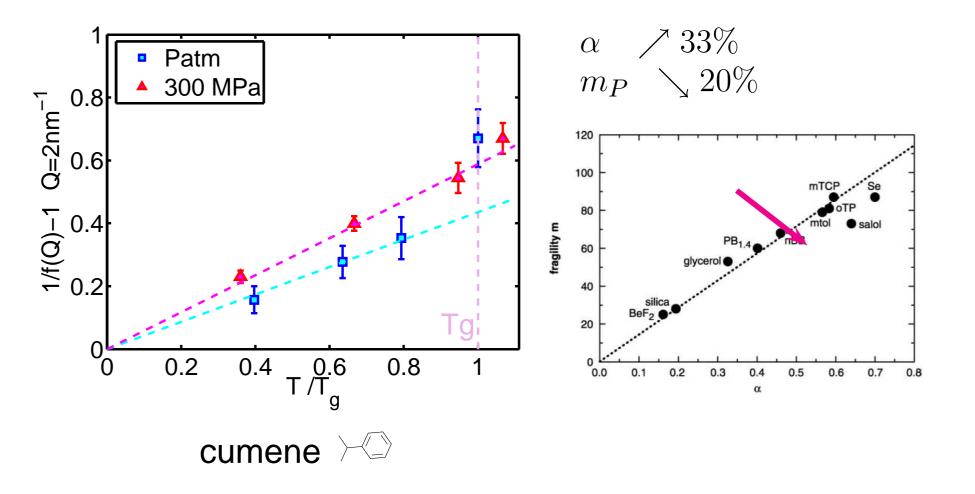
 f_q and pressure



 f_q and pressure

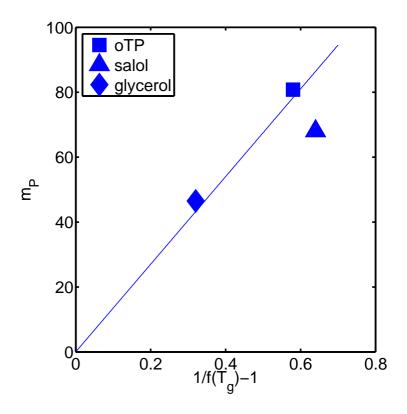


 f_q and pressure



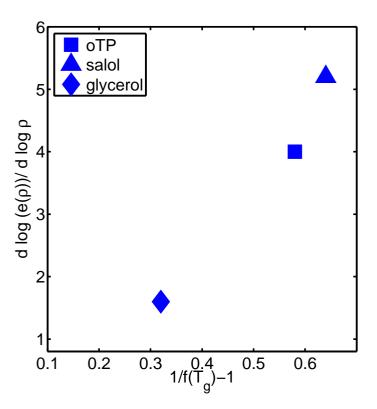
$f_q(T_g)$ and m

isobaric fragility



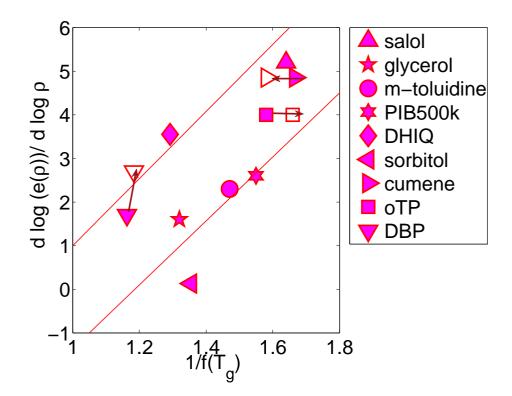
 $f_q(T_g)$ and density

$$m_P = m_\rho \left(1 + \alpha_P T_g \frac{\mathrm{d}\log e(\rho)}{\mathrm{d}\log\rho} \right)$$



 $f_q(T_g)$ and density

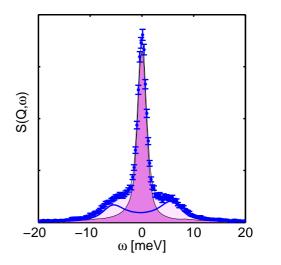
$$m_P = m_\rho \left(1 + \alpha_P T_g \frac{\mathrm{d}\log e(\rho)}{\mathrm{d}\log\rho} \right)$$

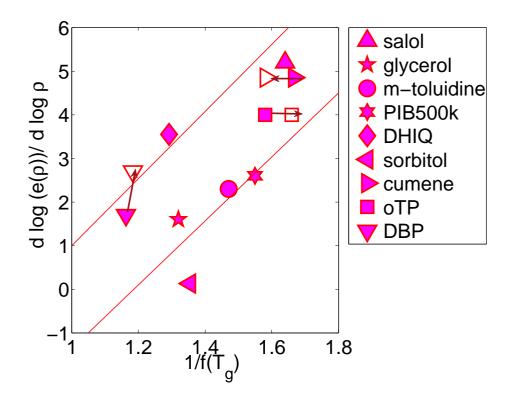


 $f_q(T_q)$ and density

$$m_P = m_{\rho} \left(1 + \alpha_P T_g \frac{\mathrm{d} \log e(\rho)}{\mathrm{d} \log \rho} \right)$$

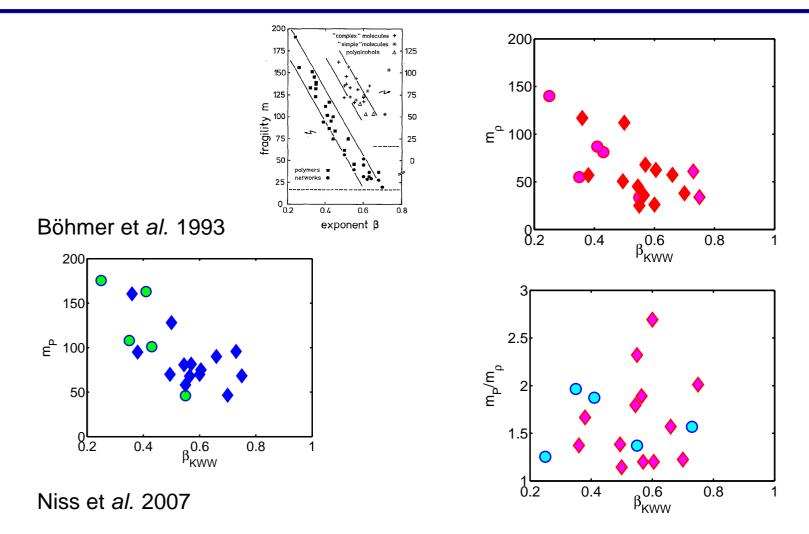
if $f_q(T_g)$ correlates to the effect of density





large vibrational amplitude \rightarrow strong density dependence

β_{KWW} and fragility



Conclusion

- The isobaric fragility contains information on density dependence
- Different correlations between isobaric fragility and other properties can be related to density effects, temperature effects or both of these.